The Structure of Matter



Radioactivity and Nuclear Decay

- At the end of the nineteenth century Henri Becquerel discovers the spontaneous emission of 'rays'.
- The surprise was that no energy input was required.
- These rays carry off huge amounts of energy.



Some examples of 'rays'.

Original Photographic Plate Developed by Henri Becquerel.

$${}^{212}_{84}\text{Po} \rightarrow {}^{208}_{82}\text{Pb} + {}^{4}_{2}\text{He} (\alpha)$$

$${}^{212}_{83}\text{Bi} \rightarrow {}^{212}_{84}\text{Po} + e^{-}(\beta) + \bar{\nu}_{e} \text{ (undetected)}$$

$${}^{137}_{55}\text{Cs} \rightarrow {}^{137}_{56}\text{Ba}(0.662 \text{ keV}) + e^{-} + \bar{\nu}_{e} \text{(undetected)}$$

$${}^{137}_{56}\text{Ba}(0.0 \text{ keV}) + \gamma$$



Rutherford Scattering





Milking the Cow

- This 'clock' ticks by producing a short-lived, radioactive material.
- Start with a liquid containing the radioactive isotope ¹³⁷Cs that decays very slowly.

 $^{137}Cs \rightarrow e^- + ^{137}Ba(0.662 \text{ MeV})$

- The number "0.662 MeV" means there is still energy (0.662 MeV) stored in the Ba-137 nucleus.
- The excited Ba-137 then emits a high-energy photon or gamma ray to reach the stable ground state of ¹³⁷Ba.

```
^{137}\text{Ba}(0.662) \rightarrow ^{137}\text{Ba}(0.0) + \gamma
```



Using the Reduced χ^2

The χ^2 and reduced χ^2 are defined as

$$\chi^{2} = \sum_{i=1}^{N} \frac{\left((y_{i} - f(x_{i}))^{2}\right)}{\sigma_{i}^{2}}$$

and

$$reduced \ \chi^2 = \frac{\chi^2}{N-d.o.f}$$

where N is the number of data points.

R. Muto, et al., Phys. Rev. Lett., 98, 042501 (2007).



Geiger-Muller Tube

A Geiger-Muller tube (or GM tube) is the sensing element of a Geiger counter instrument that can detect a single particle of ionizing radiation. It is a type of gaseous ionization detector with an operating voltage in the Geiger plateau.



Poisson Statistics

$$P(m:n,p) = \frac{1}{m!}\mu^m e^{-\mu} \qquad \mu = np$$

m - no. of events μ - average n - no. of trials p - probability of an event

Probability of a discrete event occurring m times in a particular time period.

Poisson Statistics

$$P(m:n,p) = \frac{1}{m!}\mu^m e^{-\mu} \qquad \mu = np$$

m - no. of events μ - average *n* - no. of trials *p* - probability of an event Probability of a discrete event occurring *m* times in a particular time period.

- Number of soldiers killed by horse-kicks each year in Prussian cavalry corp (famous example in by a book of Ladislaus Josephovich Bortkiewicz (1868-1931)).
- Number of yeast cells for brewing Guinness (William Sealy Gosset (1876-1937)).
- The number of phone calls arriving at a call center per minute.
- The number of deaths per year in a given age group.
- The number of jumps in a stock price in a given time interval.
- The number of mutations in a given stretch of DNA after a certain amount of radiation.
- The proportion of cells that will be infected at a given multiplicity of infection.

How Old is the Shroud of Turin?



Radiocarbon Dating



Radiocarbon Dating



Radiocarbon Dating



Radiocarbon Calibration Curve

