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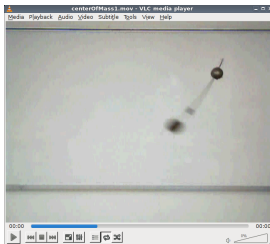
- 1 Look [here](#) first.

- ① Look [here](#) first.
- ② Look [here](#) second.

How Do We Find Extra-solar planets?

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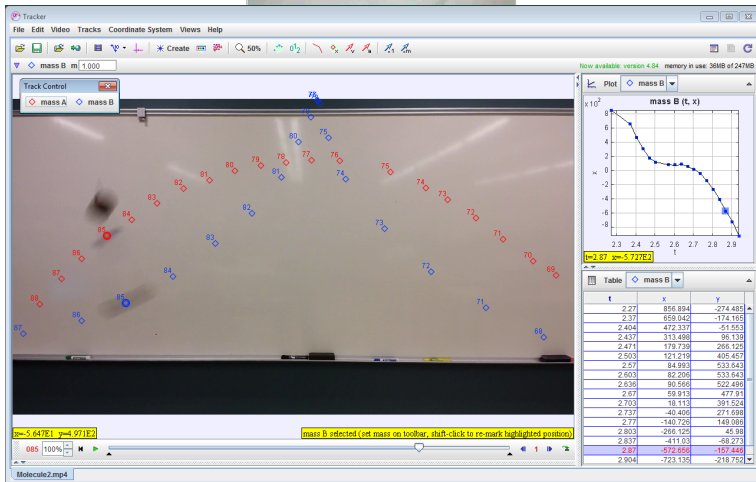
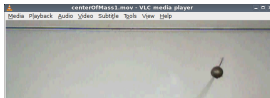
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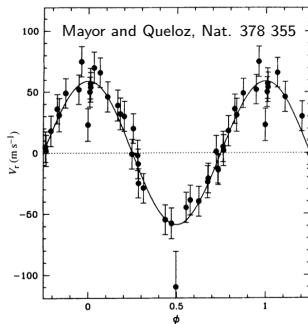
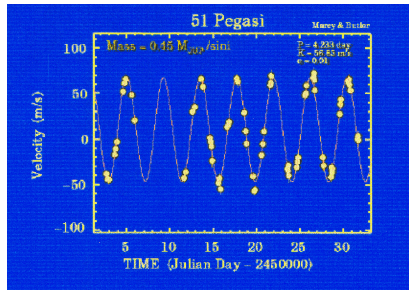
How Do We Find Extra-solar planets?

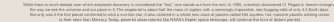
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- 1 Look [here](#) first.
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The data below show the oscillations in the speed of the star 51 Pegasus implying the existence of an unseen, orbiting companion. What is the period of the oscillation? How is this period related to the distance from 51 Pegasus to the unseen companion? What do these results imply about the maximum mass of the unseen companion? Assume the mass of 51 Pegasus is $m_s = 2.2 \times 10^{30} \text{ kg}$ from its spectral type and that it is a distance $r_{peg} = 51 \text{ ly}$ from Earth. The planet is now called Dimidium.





Consider a solar system consisting only of the Sun and Jupiter orbiting about their center of mass. What is the size of the Sun's 'wobble' as it orbits the center of mass? Compare the wobble with the radius of the Sun. If an alien species on a small planet (similar to Earth) orbiting 51 Pegasus tried to observe the Sun's wobble what would be the angular size of the wobble? The distance from 51 Pegasus to the Sun is 51 ly.

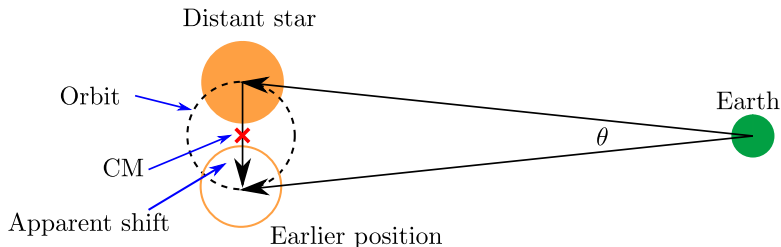
Jupiter's mass	$1.90 \times 10^{27} \text{ kg}$
Sun's mass	$1.99 \times 10^{30} \text{ kg}$
Sun-Jupiter distance	$7.8 \times 10^{11} \text{ m}$
Sun's radius	$6.96 \times 10^8 \text{ m}$
1 light-year	$9.46 \times 10^{15} \text{ m}$

More on wobbling stars [here](#).



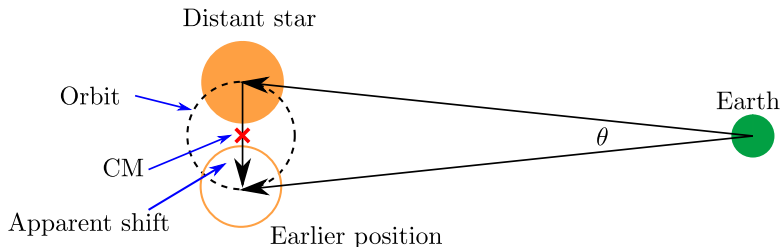
What is the angular shift in position of 51 Peg orbiting the center-of-mass associated with a Jupiter-like planet?

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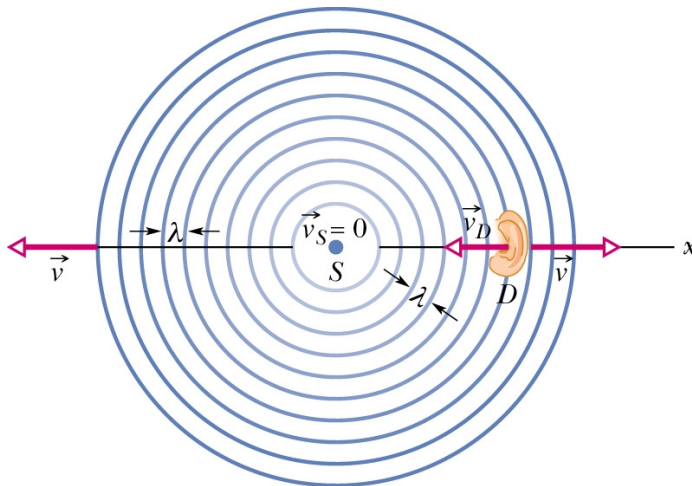


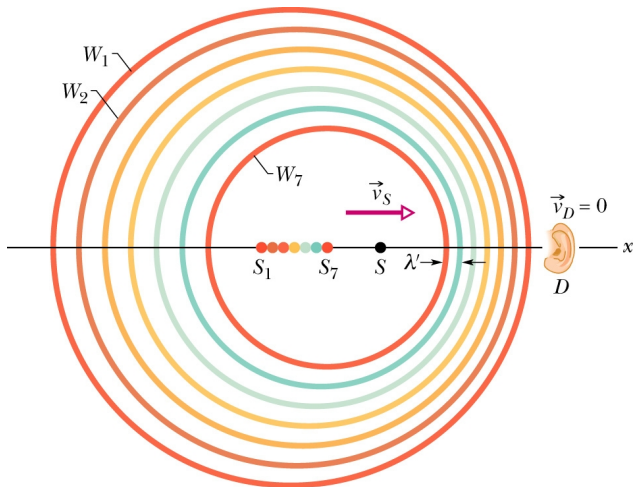
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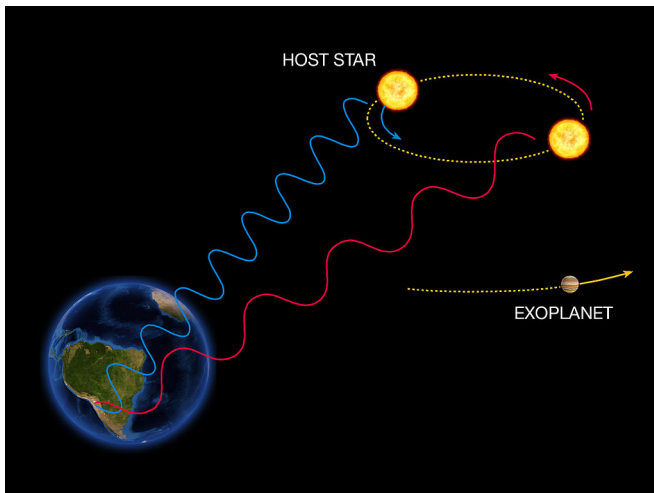
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Telescope resolutions: VLBA ($3 \times 10^{-7} \text{ deg}$), Hubble ($8 \times 10^{-6} \text{ deg}$)







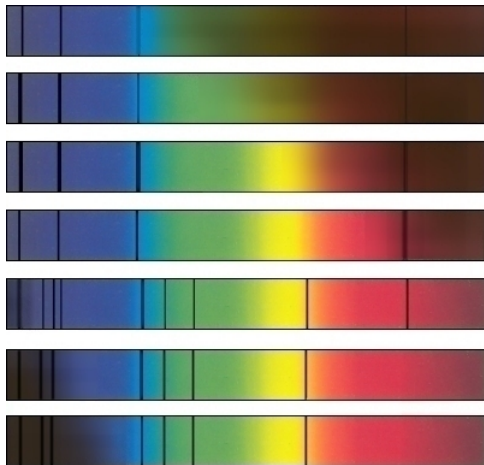
The Radial Velocity Method

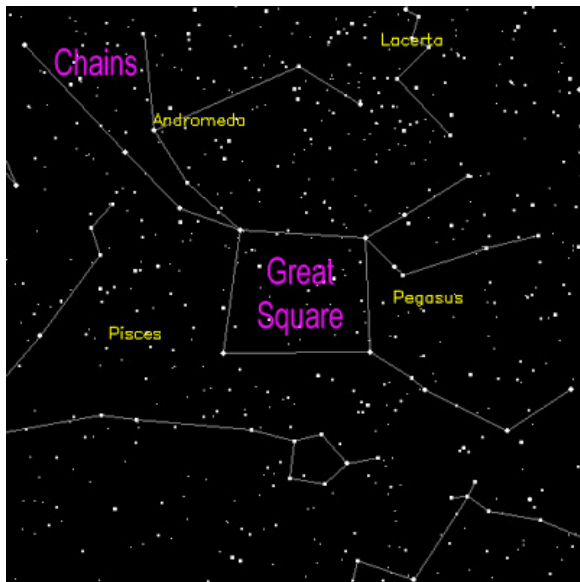
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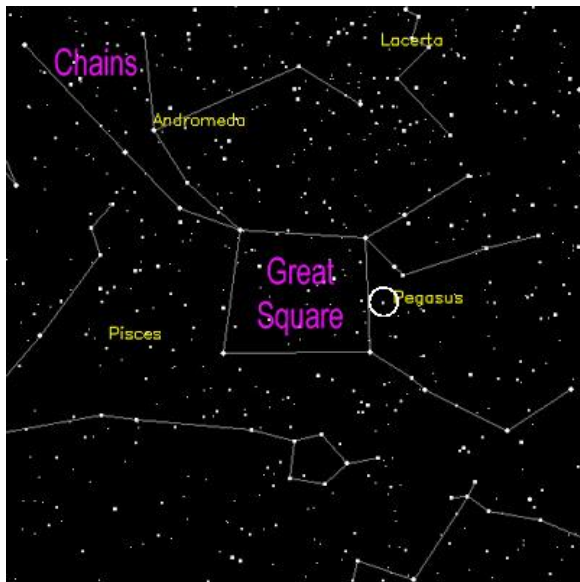
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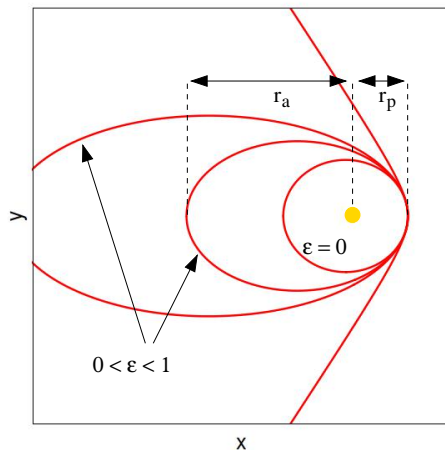
The velocities of distant stars towards or away from the Earth are measured using small blue- or red-shifts of the absorption lines like those shown here in the spectra of a variety of stars. Several methods are used to keep the spectra precisely calibrated for the long periods needed to record the observations.



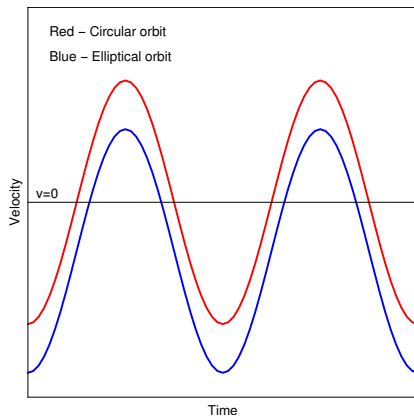
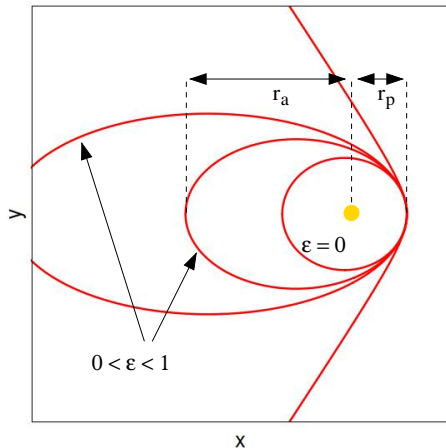


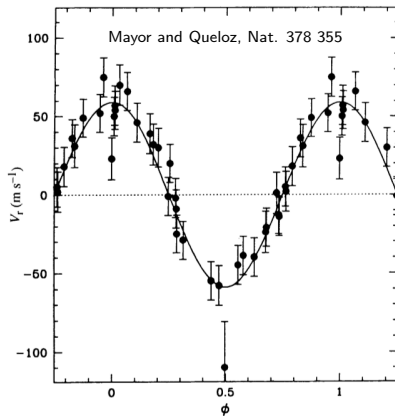


$$\epsilon = \sqrt{1 + \frac{2E\ell^2}{\mu\alpha^2}} = 1 - \frac{2}{\frac{r_a}{r_p} + 1}$$



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Orbital period: $4.2293 \pm 0.0011d$

Velocity resolution: 13 m/s

The spectral class is a method for classifying stars based on the pattern of absorption lines (which reveal the elements in the star's photosphere) and their intensity (which reflects the abundance). These measurements can be translated into the temperature and density of the star's photosphere.



G-type



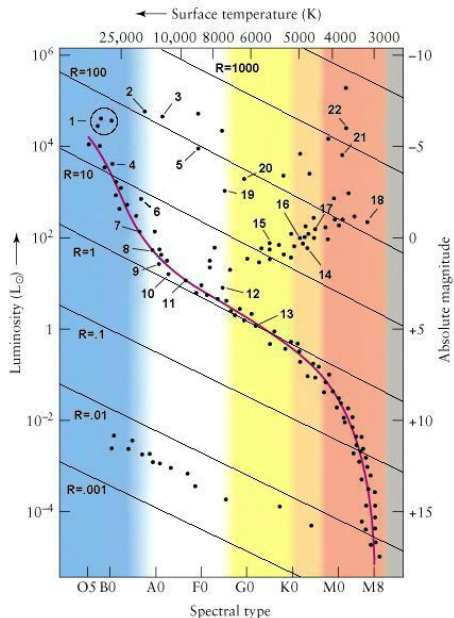
A-type



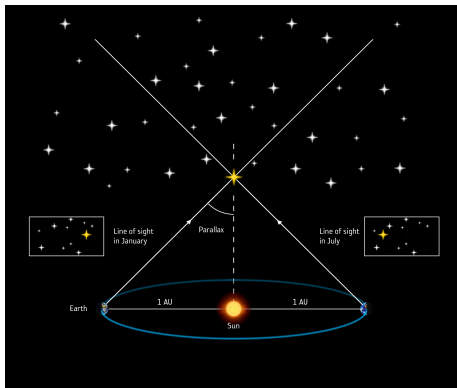
K-type



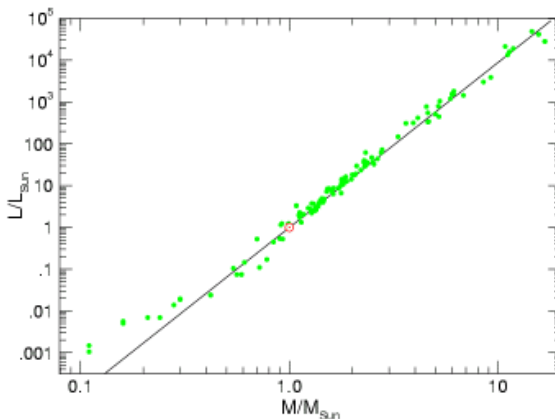
The main sequence of the Hertzsprung-Russell diagram is the curve where the majority of stars are located in this diagram. This line is so pronounced because both the spectral type and the luminosity depend on a star's mass only to zeroth order as long as it is fusing hydrogen.

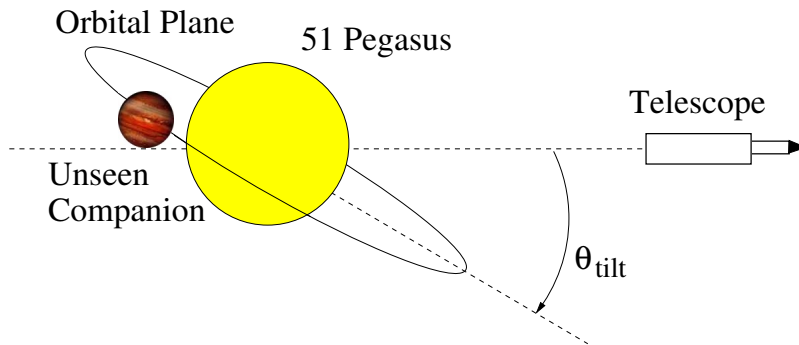


To place a star on the Hertzsprung-Russell diagram the absolute luminosity has to be determined. This step requires measuring the distance from the Earth to the star. Nearby stars appear to move with respect to more distant background stars due to the motion of the Earth around the Sun. This apparent motion (it is not "true" motion) is called Stellar Parallax.

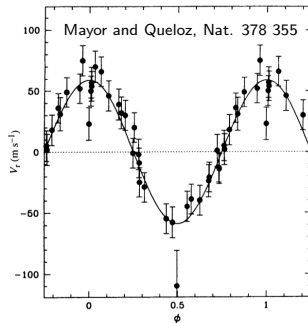
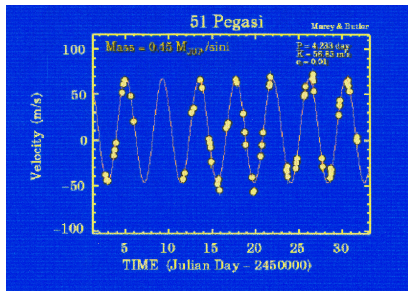


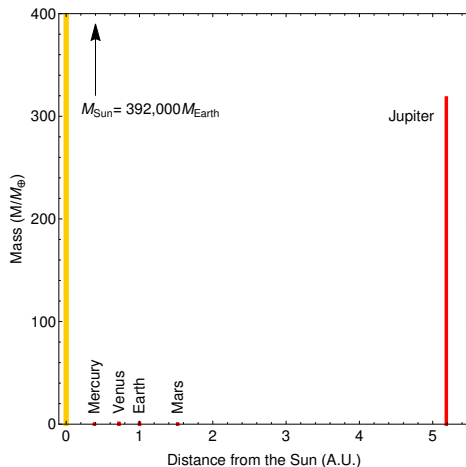
The luminosity of main sequence stars is proportional to their mass as shown in the plot below. Thus identifying the spectral type places the star on the main sequence and then measurements of its luminosity can be directly related to its mass.

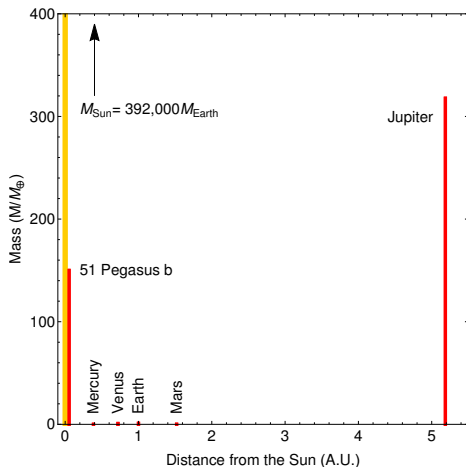


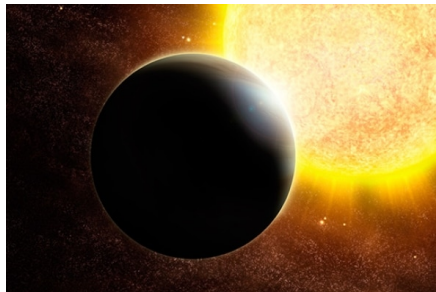
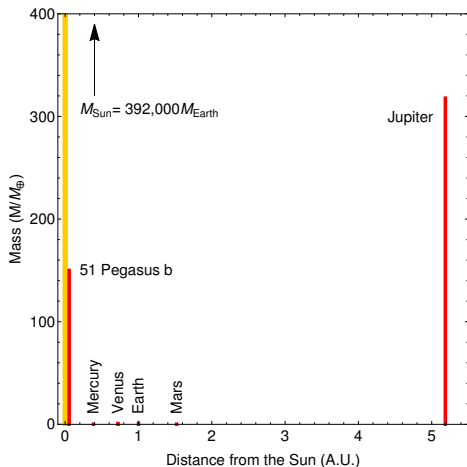


Consider the data below which shows the oscillations in the speed of the star 51 Pegasus implying the existence of an unseen, orbiting companion now called 51 Pegasus b. What is the period of the oscillation? How is this period related to the distance from 51 Pegasus to 51 Peg b? What do these results imply about the maximum mass of the unseen companion? Assume the mass of 51 Pegasus is $m_s = 2.2 \times 10^{30} \text{ kg}$ from its spectral type and that it is a distance $r_{\text{peg}} = 51 \text{ ly}$ from Earth.









HOT JUPITER!