

# Measuring the Fifth Structure Function in ${}^2\text{H}(\vec{e}, e'p)n$ , Gilfoyle et al.

- Establish baseline for the hadronic model; deuteron an essential testing ground.
- Fifth structure function is a little-studied part of the deuteron response function sensitive to final state interaction (FSI) and the  $NN$  interaction - imaginary part of the quasielastic LT interference term (fifth structure function) of  ${}^2\text{H}(\vec{e}, e'p)n$  at  $Q^2 \approx 1 \text{ (GeV/c)}^2$ .

- The cross section is

$$\frac{d^3\sigma}{d\omega d\Omega_e d\Omega_p} = \sigma_L + \sigma_T + \sigma_{LT} \cos(\phi_{pq}) + \sigma_{TT} \cos(2\phi_{pq}) + h\sigma'_{LT} \sin(\phi_{pq})$$

where  $h = \pm 1$  for different beam helicities.

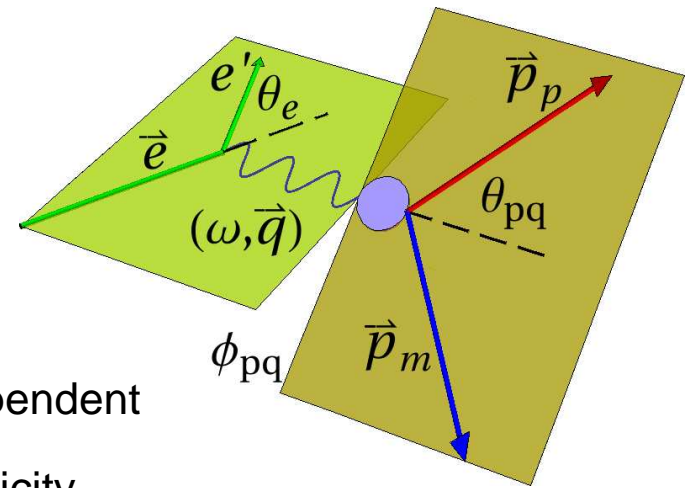
- Extract the helicity asymmetry from the  $\phi_{pq}$ -dependent moments in each  $\vec{p}_m = \vec{q} - \vec{p}_p$  bin.

$$\langle \sin \phi_{pq} \rangle_{\pm} = \frac{\int_{-\pi}^{\pi} \sigma^{\pm} \sin \phi_{pq} d\phi_{pq}}{\int_{-\pi}^{\pi} \sigma^{\pm} d\phi_{pq}} = \pm \frac{\sigma'_{LT}}{2(\sigma_L + \sigma_T)} = \pm \frac{A'_{LT}}{2}$$

beam helicity

- Get rid of a sinusoidally-varying background by taking the difference of the

$$\langle \sin \phi_{pq} \rangle_{+} - \langle \sin \phi_{pq} \rangle_{-} = \left( \frac{A'_{LT}}{2} + \alpha_{acc} \right) - \left( -\frac{A'_{LT}}{2} + \alpha_{acc} \right) = A'_{LT}$$



# Analysis and Results

- Data from the E5 run period in Hall B:  $E = 2.56$  GeV with normal and reversed torus polarity to reach lower  $Q^2$ . Higher beam energy
- Dual  $LH_2 - LD_2$  target;  $P_e = 0.74 \pm 0.02$ .
- Standard selection cuts and corrections: fiducial cuts, CC photoelectrons, momentum corrections, ...
- Quasielastic (QE) electron selection:
  - Cut on residual  $epX$  mass  $3\sigma_n$  below pion threshold ( $\sigma_n$  is neutron width).
  - Radiative tail cut corrected with EXCLURAD.
- Consistency tests: GSIM,  $A'_{LT}$  at  $p_m \approx 0$ , fits versus  $\langle \sin \phi_{pq} \rangle_{\pm}$ , beam helicity.
- Systematic uncertainties extracted.
- Similar  $A'_{LT}$  for both data sets; Jeschonnek and Van Orden calculation does well at low- $Q^2$ , but gets too deep a dip at higher  $Q^2$ .
- Analysis note nearly done.

